

Automated Early Detection of Astrocytomas Tumor based on Optimized Adaptive Cluster with Super Pixel Model

Deepak V K¹ and Sarath R²

¹Research Scholar, Department of Electronics & Communication, Noorul Islam Centre for Higher Education, Thuckalay, Kumaracoil, Tamilnadu.

deepakvk2@gmail.com

²Assistant Professor, Department of Electronics & Instrumentation, Noorul Islam Centre for Higher Education, Thuckalay, Kumaracoil, Tamilnadu.

sarathraveendran@gmail.com

Abstract—In the medical image processing field Brain tumor segmentation is a quintessential task. Thereby early diagnosis gives us a chance of increasing survival rate. It will be way much complex and time consuming when comes to processing large amount of MRI images manually, so for that we need an automatic way of brain tumor image segmentation process. This paper aims to gives a comparative study of brain tumor segmentation which are MRI-based. So recent methods of automatic segmentation along with advanced techniques gives us an improved result and can solve issue better than any other methods. Therefore, this paper brings comparative analysis of three models such as Deformable model of Fuzzy C-Mean clustering (DMFCM), Adaptive Cluster with Super Pixel Segmentation (ACSP) and Gray Wolf Optimization based ACSP (GWO_ACSP) and these are tested on CANCER IMAGE ARCHIVE which is a preparation information base containing High Grade and Low-Grade astrocytoma tumors. Here boundaries including Accuracy, Dice coefficient, Jaccard score and MCC are assessed and along these lines produce the outcomes. From this examination the test consequences of Gray Wolf Optimization based ACSP (GWO_ACSP) gives better answer for mind tumor division issue.

Index Terms— Brain Tumor Segmentation, Cancer Image Archive, DMFCM, GWO_ACSP, Image processing.

I. INTRODUCTION

Brain tumor refers to the unnatural growth of cell in brain tissue, while these are not that common but it is considered as one of lethal issues for cancer [1]. As per the origin it was considered as either primary or metastatic brain tumors. When comes to primary case, the origin is brain tissue cell while for metastatic, when one cell become cancerous and rest will get affected through spreading. Here this paper aims for a type of cancer called Astrocytoma where brain tumor segmentation comes into play [2]. It is a star-shaped cell structure that can be seen in glial cell in cerebrum area named astrocytes. One thing that needs to be relieved is that it won't spread outside the brain to other organs [3]. Basically, clinical based segmentation are done manually which results in severe drawbacks. The trouble is when goes to the outcomes, working predisposition, seeing 2D cuts

independently and accordingly derive the shape and volume of 3D structures. Customary Segmentation utilizing low-level picture handling strategies like thresholding, area developing, edge recognition, and numerical morphology tasks, brings impressive measure of direction[4]. In general, there brings some sorts of limits in efficiency when comes to under constrained nature due to the local information [5]. By these techniques it additionally brings out commotion and different relics can cause mistaken locales or limit discontinuities. For researchers it's been an overly discussed topic of interest and so far, they produced soft clustering and hard clustering algorithms produced [6,7]. In the case of hard pixel belong to only one class and for soft it belongs to more than one cluster. The better clustered output defines the similarity between high intra-class and low inter-class.

The rest of the paper is as per the following. Segment 2 gives review of Deformable model with Fuzzy C-Mean bunching (DMFCM), Adaptive Cluster with Super Pixel Segmentation (ACSP) and Gray Wolf Optimization based ACSP (GWO_ACSP) calculations with their numerical definition. In area 3 test results are talked about. Segment 4 presents end and future extension.

II. ANALYSIS OF DIFFERENT TECHNIQUES

A. Deformable model with Fuzzy C-Mean clustering (DMFCM)

This algorithm brings out a segmentation scheme that can be paired with image processing in order to overcome limitation of manual slicing and other traditional methods. For segmentation problem the continuous and connected geometric model consider whole as object boundary and make use of that as prior knowledge to derive into object shape. In this way, model with progression and perfection may resolve to commotion, holes and different anomalies in object limits [8,9]. Furthermore, this model brings focus on to the compact and analytical object shape. Thereby there is a need of better, accurate technique to convert noisy image to complete and consistent model.

The state of the shape subject to a picture $I(x,y)$ is directed by the utilitarian

$$\varepsilon(v) = s(v) + p(v) \quad (1)$$

Where

$$s(v) = \int_0^1 w_1(s) \left| \frac{\partial v}{\partial s} \right|^2 + w_2(s) \left| \frac{\partial v}{\partial s} \right|^2 \quad (2)$$

$$p(v) = \int_0^1 p(v(s)) \quad (3)$$

Contour $v(s)$ minimizing energy $E(v)$ should follow Euler-Lagrange equation

$$-\frac{\partial}{\partial s} \left(w_1 \frac{\partial v}{\partial s} \right) + \frac{\partial^2}{\partial s^2} + \left(w_1 \frac{\partial^2 v}{\partial s^2} \right) + \nabla p(v(s, t)) = 0 \quad (4)$$

The Lagrange conditions of movement for a snake with the inward energy given by (2) and outer energy given by (3) is

$$-\mu \frac{\partial^2}{\partial t^2} + \gamma \frac{\partial v}{\partial t} \frac{\partial}{\partial s} \left(w_1 \frac{\partial}{\partial s} \right) + \frac{\partial^2}{\partial s^2} \left(w_2 \frac{\partial^2 v}{\partial s^2} \right) = -\nabla p(v(s, t)) \quad (5)$$

Equilibrium is gained by internally and externally i.e., $\partial v / \partial t = \partial^2 v / \partial t^2 = 0$, which yields the equilibrium condition (4).

So, basically this algorithm is applied for smooth region of simple images and the limitation is that segmentation of high corner shape is not possible for models with finite node density and their intrinsic smoothness constraint.

B. Adaptive Cluster with Super Pixel Segmentation (ACSP)

Here, this algorithm recites about a novel clustering-based super-pixel segmentation [12]. The fundamental legitimacy depends on effortlessness, adaptivity and high accuracy and are accomplished by

- (i) Determination of starting number of super-pixels adaptively.
- (ii) Identification and renaming of the disengaged pixels.
- (iii) Discovery and re-division of the under-division super-pixels.

(i) Adaptive initial number of super-pixels

Instating seed focuses consistently toward the starting gives number of pixels in every super-pixel given as $n = N/K$. Accordingly, the underlying number of super-pixels K is characterized

$$K = N/n \quad (9)$$

Where N = number of absolute pixels in the picture, n = number of pixels in each underlying super-pixel block. Hence, the quantity of pixels n in each underlying super-pixel block dependent on the L-part shading histogram top worth (h_{pv}) comparing to the littlest striking district is planned

$$n = h_{pv} \quad (10)$$

$$hpv = \min \left\{ \frac{f(i)}{f(i)} - f(i-1) > 0 \& \frac{f(i)}{f(i)} - f(i+1) > 0 \& \frac{f(i)}{f(i-\Delta)} > \partial \& \frac{f(i)}{f(i-\Delta)} > \partial \right\} \quad (11)$$

where i refers to the Luminosity value of the LAB color space, f(i) refers to the number of pixels. Δ is the step and δ is the threshold.

(ii) Recognition and recharacterization of isolated pixels

Likewise, with the subsequent advance, in view of the LAB shading space separated pixels are renamed. Right off the bat class marks with neighborhood 8 of disconnected pixel are determined then shading separation D figuring of secluded pixel to centroid of each name lastly, the class name k with the littlest separation is characterized as the new name of the segregated pixel p.

$$D' = \sqrt{(L_p - L_c(j))^2 + A_p - A_c(j))^2 + B_p - B_c(j))^2}, j = 1, 2, \dots, n_p \quad (12)$$

$$k = \text{label}(\min\{D'\}) \quad (13)$$

$$\text{label}(p) = k \quad (14)$$

where L_p, A_p, B_p are the LAB-segment esteems relating to the current segregated pixel. $L_c(j), A_c(j), B_c(j)$ are the LAB-segment esteems comparing to the J-th neighborhood centroid. n_p alludes to the quantity of the class mark in the 8 neighborhood of the disconnected pixel k alludes to the class name comparing to the base separation. Label(p) is the new class mark relating to the disconnected pixel p.

(iii) Detection and re-segmentation of the under-segmentation super-pixels

In light of emphasis of grouping and handling of confined pixel, discovery and re-division is put sent [14]. It won't build the time unpredictability since it just has one emphasis measure. L-part standard deviation and mean worth is proposed for dealing with under-division of super-pixels. During period of identification, the standard deviation of the L-segment of every super-pixel block is determined and during the re-division stage, characterizing re-division as 2-arrangement issue for under-division pixel. Subsequently, utilizing the mean estimation of the L-segment the re-division of the under-division super-pixels is put sent.

C. Gray Wolf Optimization based ACSP (GWO_ACSP)

Approach of GWO-ACSP draws out the genuine and compelling answer for division however hard to be upset by commotion. Generally, it won't quantify separation between under-portioned pixel to new pixel centroid.

Mirjalili et.al. 2014, put forwarded this swarm shrewd procedure that literally mimics the notable leadership of wolves as a group chasing. A Canidae family, that literally lives in a pack and these grey wolves are of 4 types such as alpha, beta, delta and omega. Basic step to catch prey as a group is that hunting, search for prey, surrounding the prey and assaulting are accomplished likewise when comes to this algorithm.

In mathematical model the best fitness is denoted by α , β and δ the remaining solutions as ω . The following are the equations of the mathematical model

$$\vec{D} = |\vec{C} \cdot X_p(t) - \vec{X}(t)|$$

$$\vec{X}(t+1) = \vec{X}_p(t) - \vec{A} \cdot \vec{D}$$

Where, t indicates the current iteration, $\vec{A}$ and $\vec{C}$ are coefficient vectors, $\vec{X}_p$ in is the position vector of the prey, and $\vec{X}$ indicates the position vector of a grey wolf $\vec{A}$ and $\vec{C}$ are found by $\vec{A} = 2\vec{a} \cdot \vec{r}_1 - \vec{a}$, $\vec{C} = 2\vec{r}_2$

The arbitrary vectors r_1 and r_2 permit wolves to arrive at any situation between the two specific focuses. So a dim wolf can refresh its situation inside the space around the prey in any arbitrary area. The chasing technique condition is given underneath:

$$\vec{D}_\alpha = |\vec{C}_1 \vec{X}_\alpha - \vec{X}| \quad (15)$$

$$\vec{D}_\beta = |\vec{C}_2 \vec{X}_\beta - \vec{X}| \quad (16)$$

$$\vec{D}_\delta = |\vec{C}_3 \vec{X}_\delta - \vec{X}| \quad (17)$$

The new niche of the alpha, beta, delta is $\vec{X}_1, \vec{X}_2, \vec{X}_3$ respectively using underneath equation;

$$\vec{X}_1 = \vec{X}_\alpha - \vec{A}_1 \cdot (\vec{D}_\alpha) \quad (18)$$

$$\vec{X}_2 = \vec{X}_\beta - \vec{A}_2 \cdot (\vec{D}_\beta) \quad (19)$$

$$\vec{X}_3 = \vec{X}_\delta - \vec{A}_3 \cdot (\vec{D}_\delta) \quad (20)$$

where the $\vec{X}(t+1)$ is the new computed with the average the new position

$$\vec{X}(t+1) = \frac{\vec{X}_1 + \vec{X}_2 + \vec{X}_3}{3} \quad (21)$$

The alpha, beta and delta are updated by a search agent and the final position is like a circle in random place. More definitely the position of the prey is estimated by alpha, beta and delta. The prey is surrounding the other wolves by estimating its position with their random position updates [15, 16].

III. EXPERIMENTAL RESULTS

This investigation gives a completely computerized CAD framework to recognize preliminary tumors of cerebrum disease by utilizing MRI pictures. Predominantly for each cut, the division technique created to decide the district of interest (ROI) of tumors locale. Pictures are gathered from CANCER IMAGE ACHRCHEIVE information base which contains 400 pictures (4 sorts of evaluations) and each evaluation contains 100 pictures. The informational collection goes from second rate astrocytoma like Pilocytic Diffuse and anaplastic to the high evaluation (grade IV) glioblastoma, which is the most forceful and basic essential harmful cerebrum tumor. The reproductions are finished utilizing MATLAB 2018 programming.

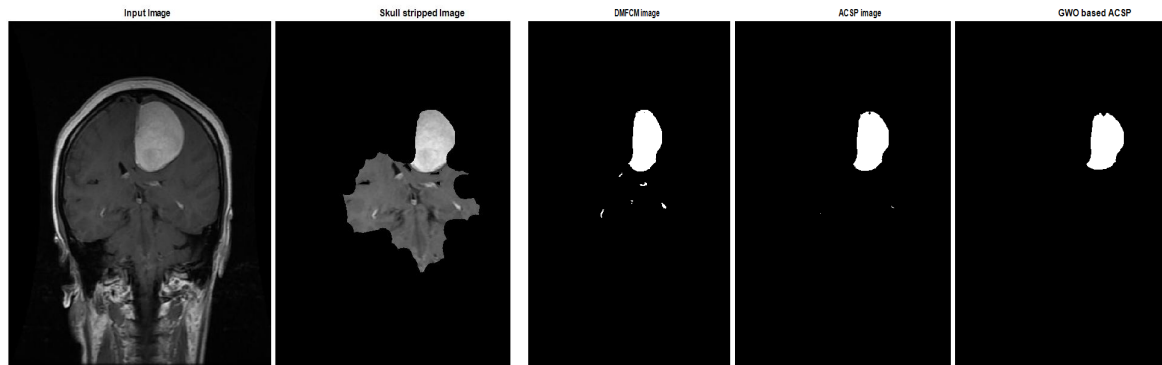


Figure 1. segmented result of Grade 1 tumor

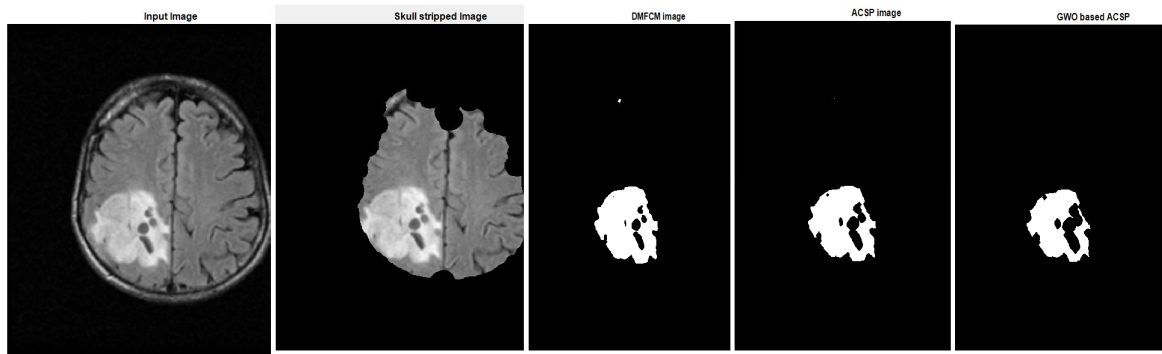


Figure 2. segmented result of Grade 2 tumor

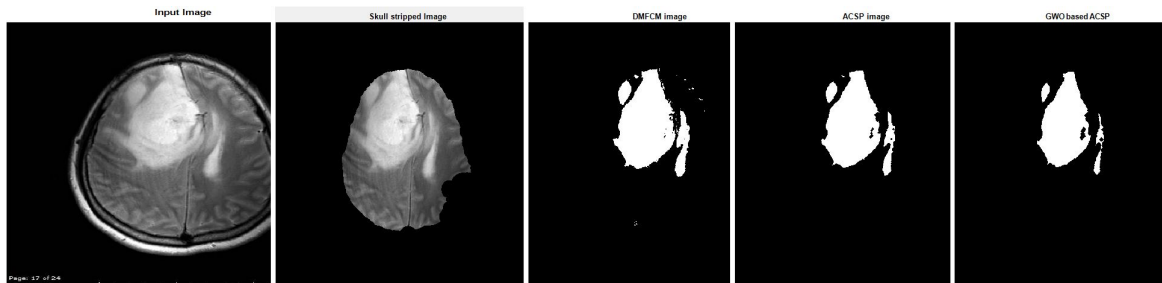


Figure 3. segmented result of Grade 3 tumor

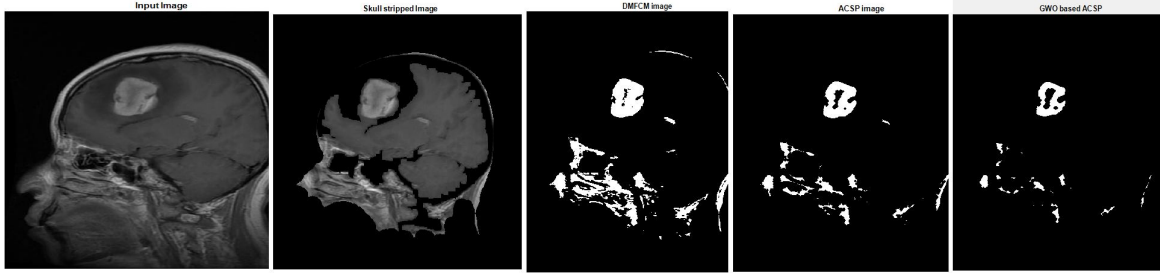


Figure 4. Segmented result of Grade 4 tumor

The above figure1-4 shows the segmented result of work proposed and each figure implies grades (1-4). Grade1 indicates original image collected from the online and it is stripped and the 3 algorithms (DFCM, ACSP and GWO-ACSP) are applied for brain tumor segmentation. DFCMACSP andGWO-ACSPare more vulnerable to nearby optima and anomalies. GWO-ACSP performs better for convex shapes than DFCM and ACSP. By this GWO-ACSP the tumor has been defined very clear.The proposed method provides a high diagnostic accuracy and to increase medical interpretive-treatment efficiency for radiologists

Evaluation metrics: Various performance matrix like Dice Coefficient, Jaccard Coefficient, accuracy and MCC (Matthews's correlation coefficient) are evaluated (22-25).

$$\text{Jaccard Index} = J(A, B) = \frac{S(A \cap B)}{S(A \cup B)} \quad (22)$$

$$\text{Dice Overlap Index (DOI)} = D(A, B) = 2X \frac{A \cap B}{A + B} \quad (23)$$

$$\text{Accuracy} = \frac{TP + TN}{TP + FP + FN + TN} \times 100\% \quad (24)$$

$$\text{MCC} = \frac{TP \times TN - FP \times FN}{\sqrt{(TP + FP)(FN + TN)(TN + FP)(TN + FN)}} \quad (25)$$

TABLE I: PERFORMANCE EVALUATION

	METRICS	DFCM	ACSP	GWO-ACSP
Grade 1	Dice Coefficient	0.7964	0.8714	0.9326
	Jaccard Coefficient	0.6617	0.7721	0.8737
	MCC	0.8117	0.8775	0.9340
	Accuracy(%)	0.9957	0.9972	0.9975
Grade 2	Dice Coefficient	0.9088	0.9616	0.9884
	Jaccard Coefficient	0.8328	0.9260	0.9770
	MCC	0.9114	0.9617	0.9882
	Accuracy	0.9974	0.9986	0.9988
Grade 3	Dice Coefficient	0.9818	0.9863	0.9868
	Jaccard Coefficient	0.9642	0.9729	0.9740
	MCC	0.9814	0.9859	0.9864
	Accuracy	0.9991	0.9992	0.9993
Grade 4	Dice Coefficient	0.7846	0.9133	0.9442
	Jaccard Coefficient	0.6456	0.8405	0.8943
	MCC	0.7647	0.9163	0.9443
	Accuracy	0.9989	0.9991	0.9996

From the Table1, it is clear that the TP values of images will be higher and for FN will be low. The experimental result proves that by using the optimized technique, the overall accuracy is high related to other clustering model. From our experiments on different images, it is observed that the proposed method works well on both the cases when the objects in the image were indistinct and distinct from the background.

Each grade MCC is high for GWO-ACSP model. Normally the MCC has a range of -1 to 1 where -1 indicates a incorrect classification and 1 indicates the correct classification. The aim of the current paper is to build an effective automated segmentation method for brain tumors. The proposed idea overcome the issues of the other methods. With the impact of strength on these images decreased, accuracy gets much improved and thereby giving less computation complexity.

IV. CONCLUSION

Diagnosing early brain tumor cases was the main focus of this paper using the proposed method. Among the available methods the DFCM, ACSP and GWO-ACSP algorithms are used for segmentation. The challenging task was that with the traditional methods that is been useful these days and from that with the help of prior knowledge for mapping in order to bring a new method. Be that as it may, the improved bunching procedures have the benefit of consequently portioning the tumor tissues legitimately from the multi-modular MRI pictures. Evaluation parameters such as Accuracy, Dice coefficient, Jaccard score and MCC are calculated for all the algorithms and GWO-ACSP obtain high metrics value compared to other techniques. Finally, Gray Wolf Optimization based ACSP (GWO_ACSP) outperforms the brain tumor segmentation problem. These techniques can further be used for segmentation and classification of other abnormalities of brain or different anatomical structures.

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